Seq2Seq

Anyway, to illustrate how to solve a **sequence-to-sequence** problem using a **seq2seq Encoder-Decoder** model, let's create one that translates English sentences into Spanish.



For example, someone might say...

Likewise, not all Spanish sentences are the same length, so we need something that can generate different length sentences as output.

Lastly, the Spanish translation of an English sentence can have a different length than the original.

For example, the two word English sentence, **Let's go...**

...translates to the one word Spanish sentence, **Vamos**.

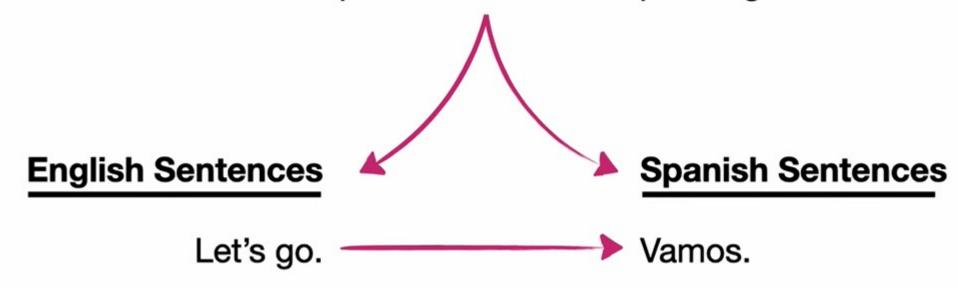
English Sentences

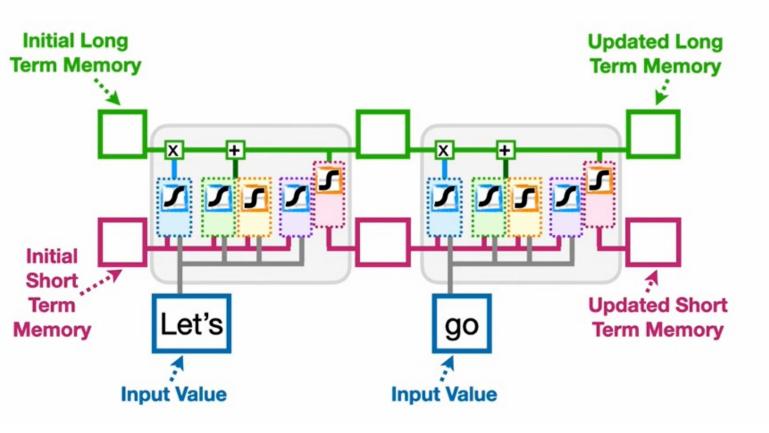
Spanish Sentences

Let's go.

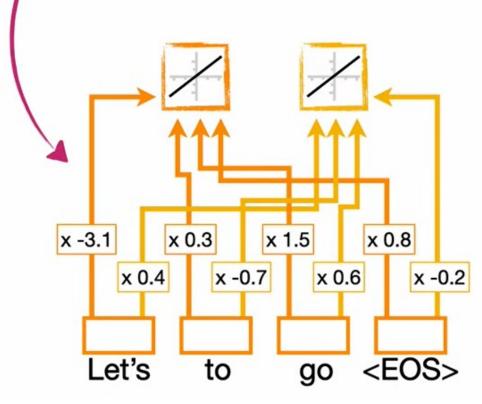
Vamos.

So we need our **seq2seq Encoder- Decoder** model to be able to handle variable input and variable output lengths.

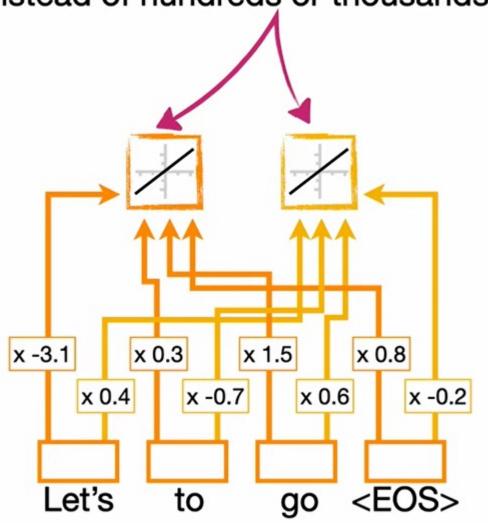




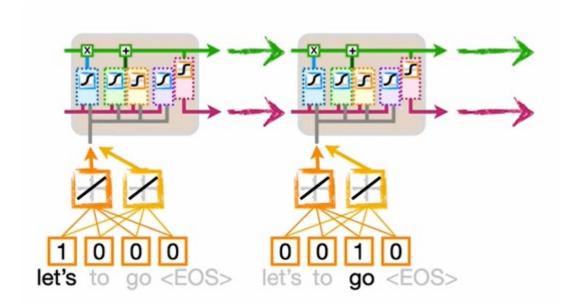
Instead, we use an **Embedding Layer** to convert the words into numbers.



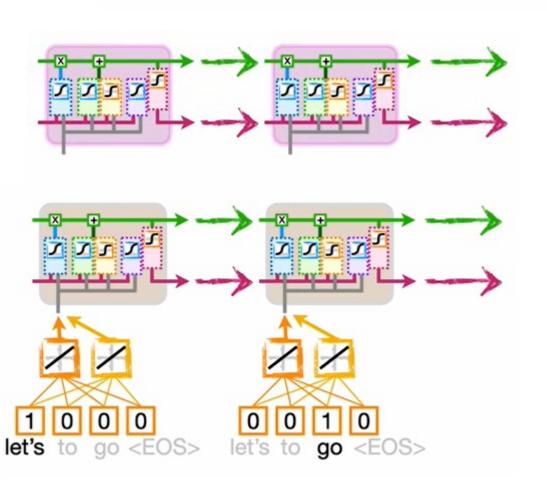
ALSO NOTE: In this example, we're just creating **2** embedding values per **Token** instead of hundreds or thousands.

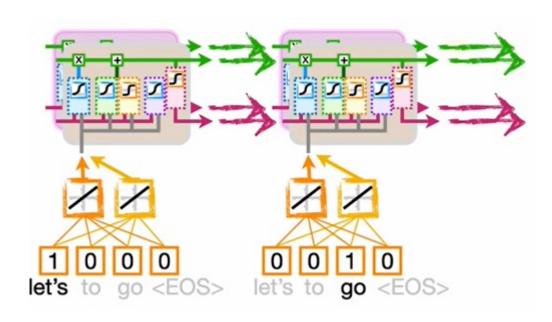


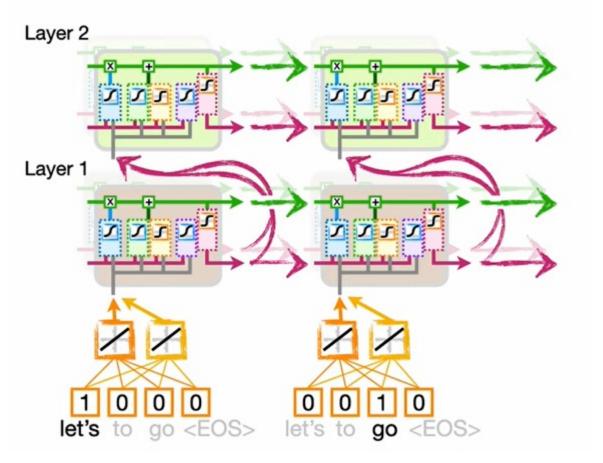
NOTE: To be clear, when we unroll the LSTM and the Embedding Layer, we reuse the exact same Weights and Biases no matter how many times we unroll them.



To keep things simple, we'll just add one additional **LSTM** cell to this stage.



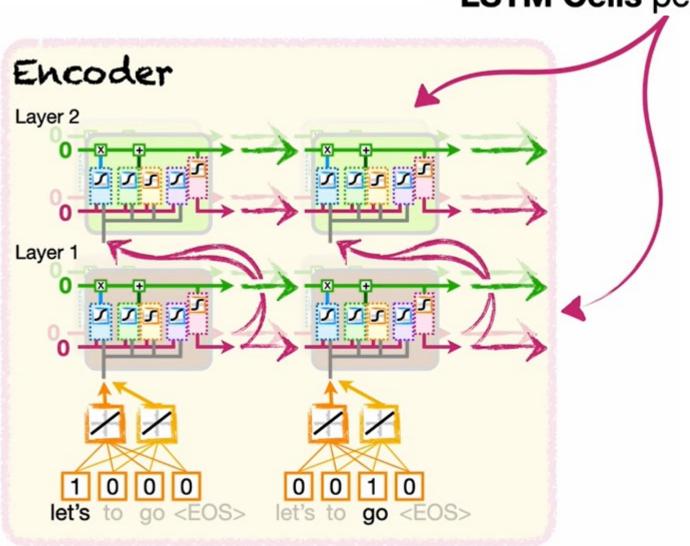


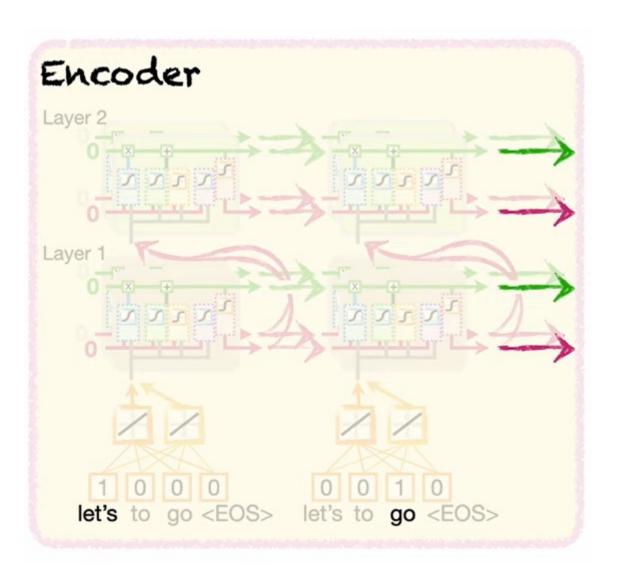


NOTE: Just like how both embedding values are used as inputs to both LSTM cells in the first layer...

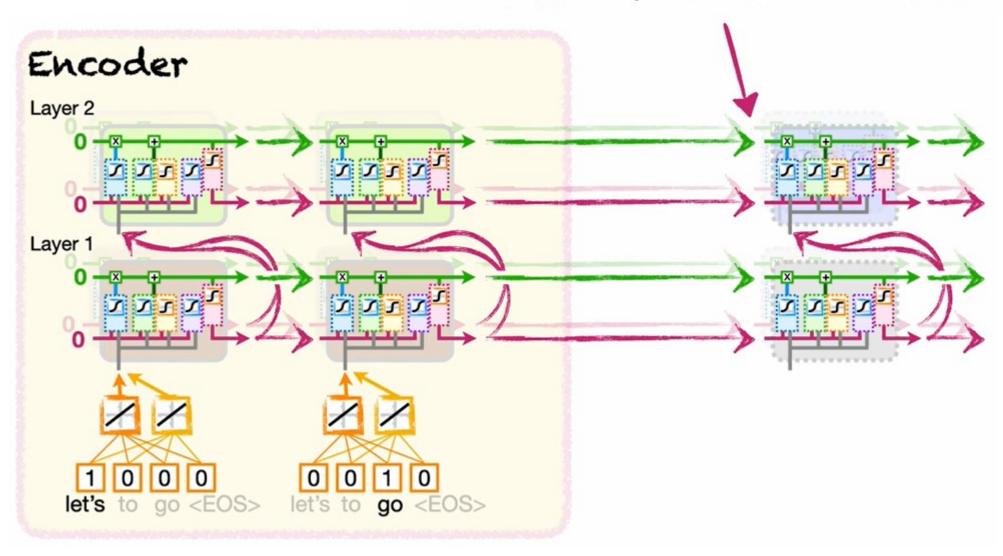
...both outputs (the short-term memories, or hidden states) from the each cell in the first layer are used as inputs to both **LSTM** cells in the second layer.

In this example, we have 2 Layers of LSTMs, with 2 LSTM Cells per Layer.

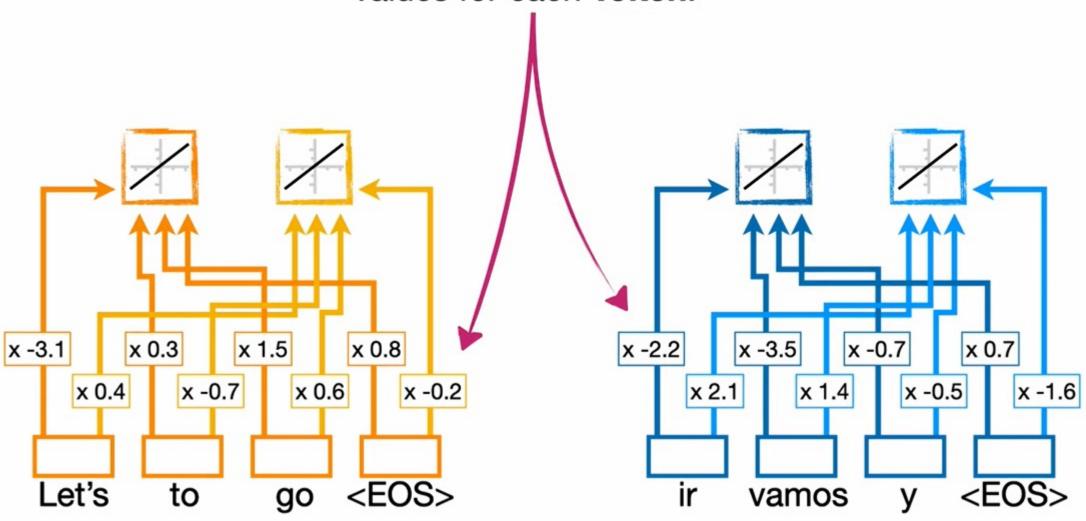




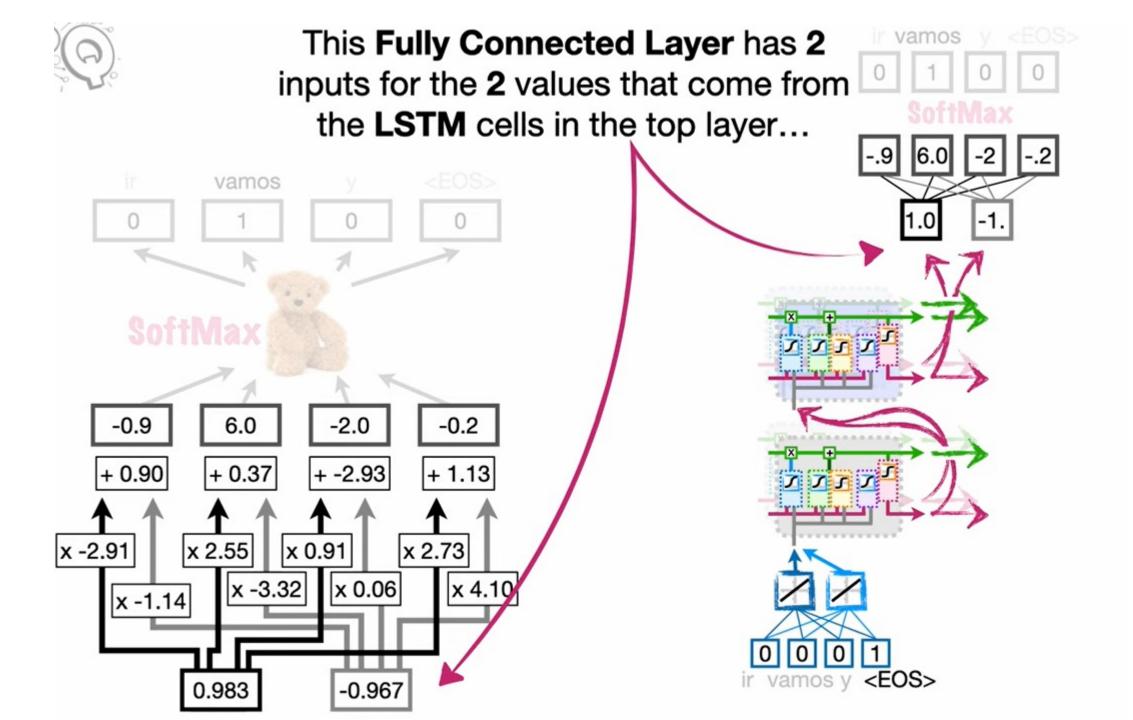
Anyway, the **Context Vector** is used to initialize the long and short-term memories (the cell and hidden states) in the **LSTMs** in the **Decoder**.



...and different **Weights**, which result in different embedding values for each **Token**.



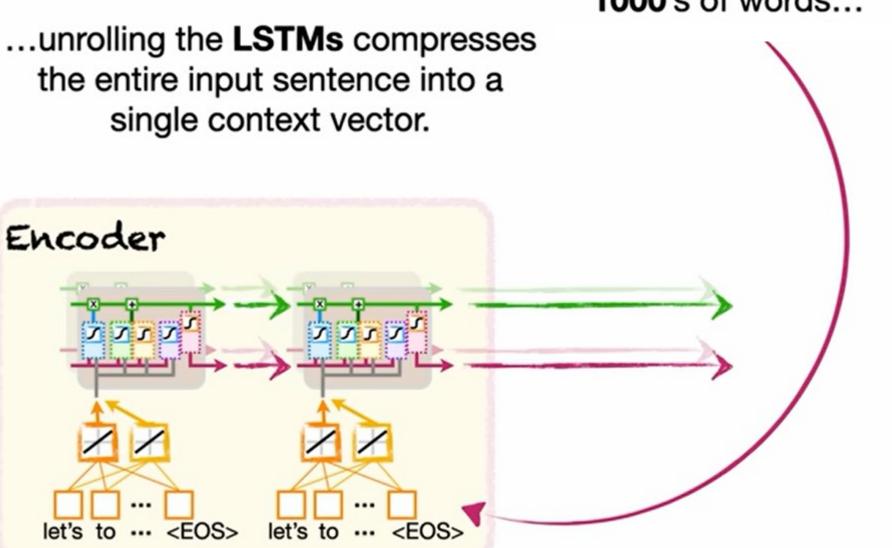
...the **Decoder** starts with the embedding values for the **<EOS>** (end of sentence) **Token**. Encoder Layer 2 Layer 1 1 0 0 0



ir vamos y <EOS> ir vamos y <EOS> ...and that means we translated the English sentence, Let's go, SoftMax SoftMax into the correct Spanish sentence. 0.8 ir vamos y <EOS> vamos y <EOS>

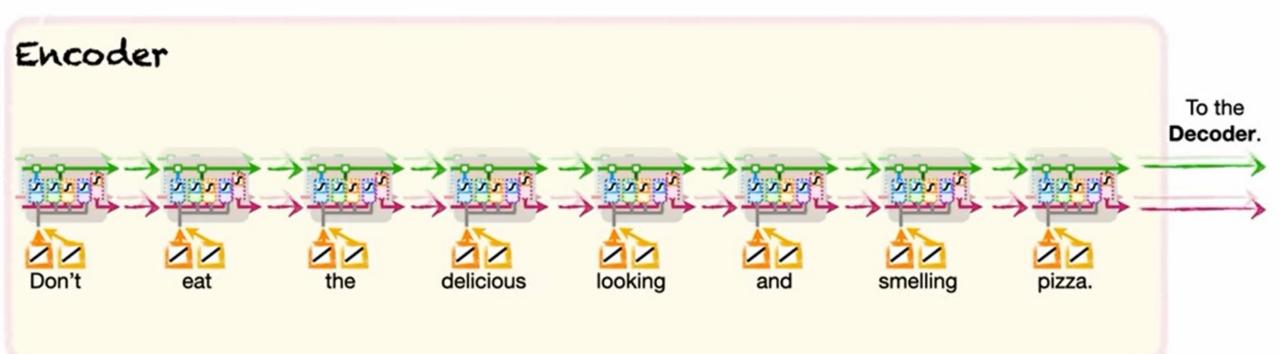
Attention Mechanism

...but if we had a bigger input vocabulary with **1000**'s of words...

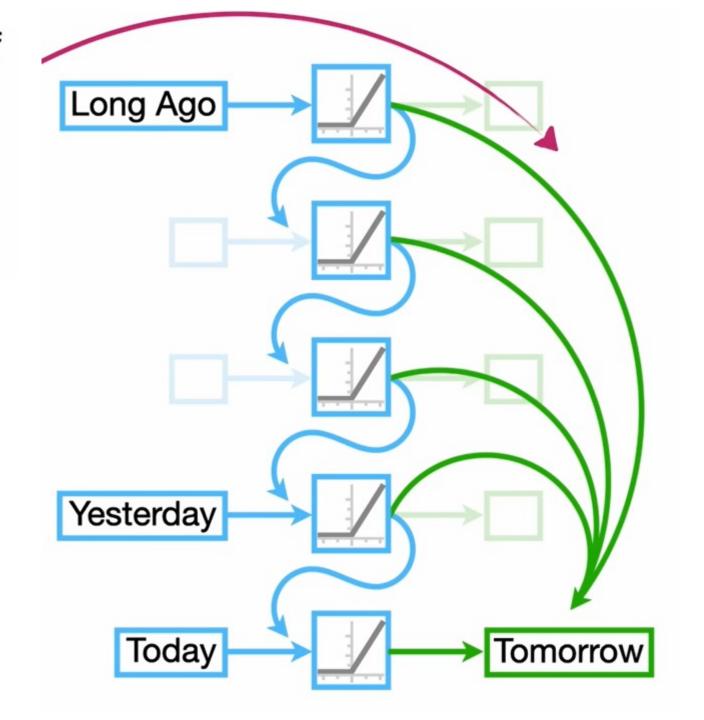


...then Don't eat the delicious looking and smelling pizza turns into...

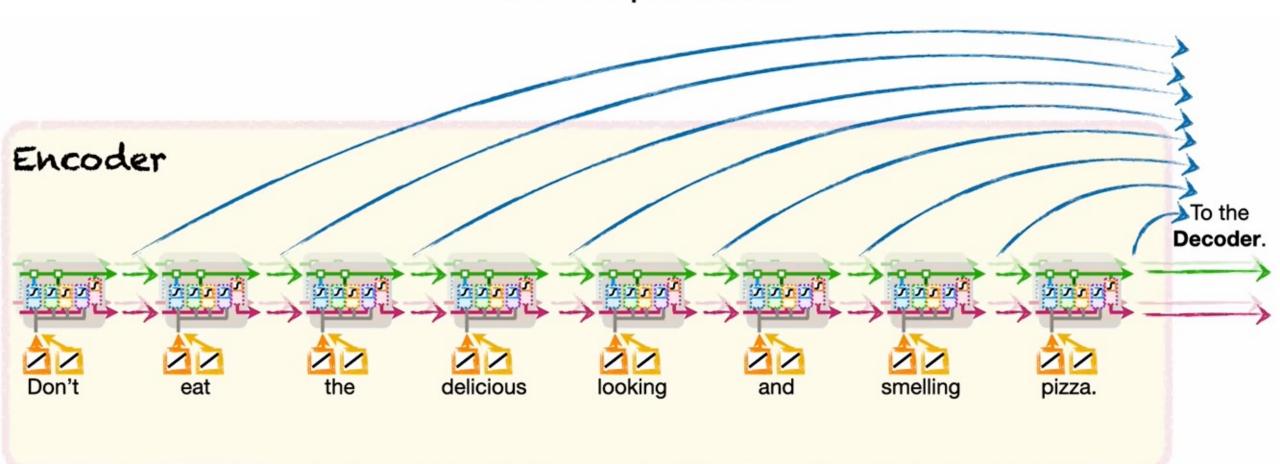
...Eat the delicious looking and smelling pizza...



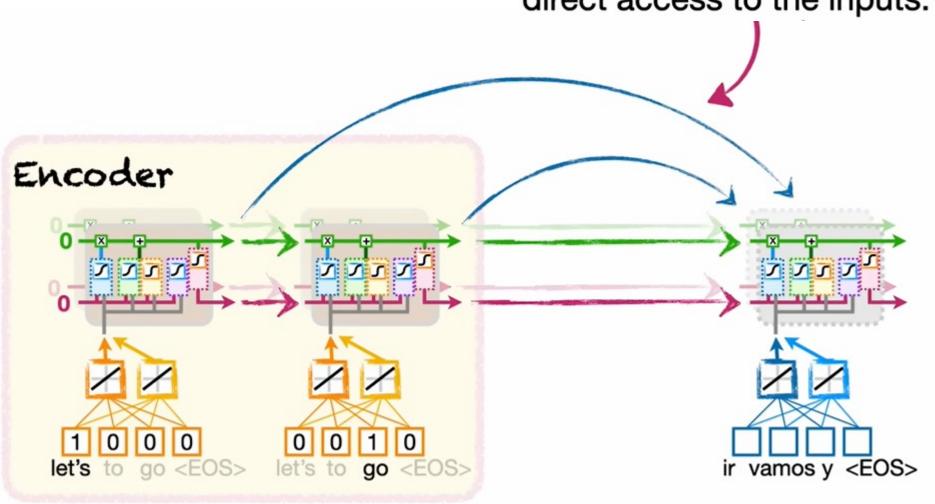
...and that **The Main Idea** of **Long, Short-Term Memory** units is that they solve this problem by providing separate paths for long and short term memories.



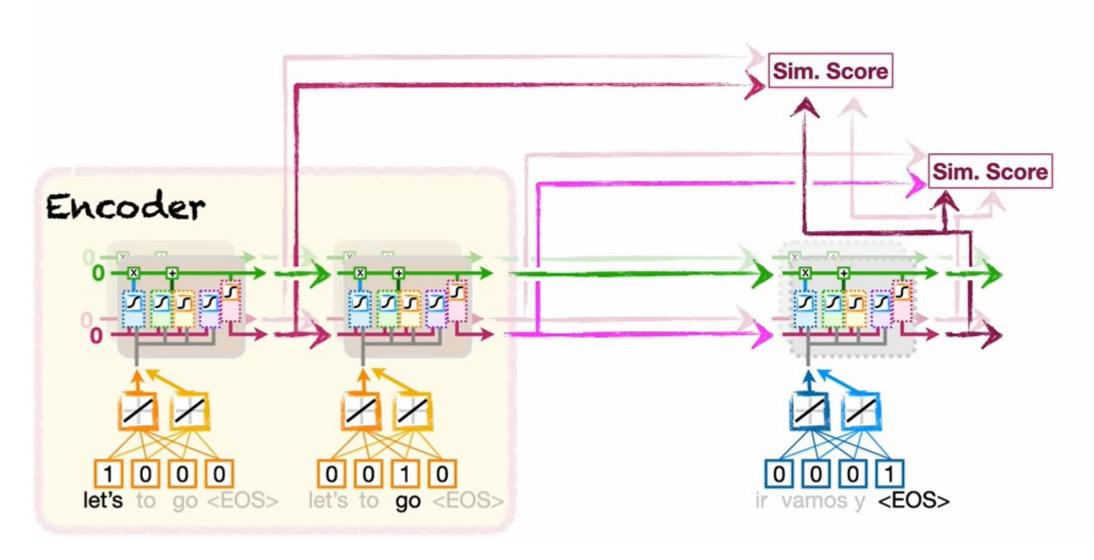
So the Main Idea of Attention is to add a bunch of new paths from the Encoder to the Decoder, one per input value, so that each step of the Decoder can directly access input values.



...however, the idea of **Attention** is for each step in the **Decoder** to have direct access to the inputs.



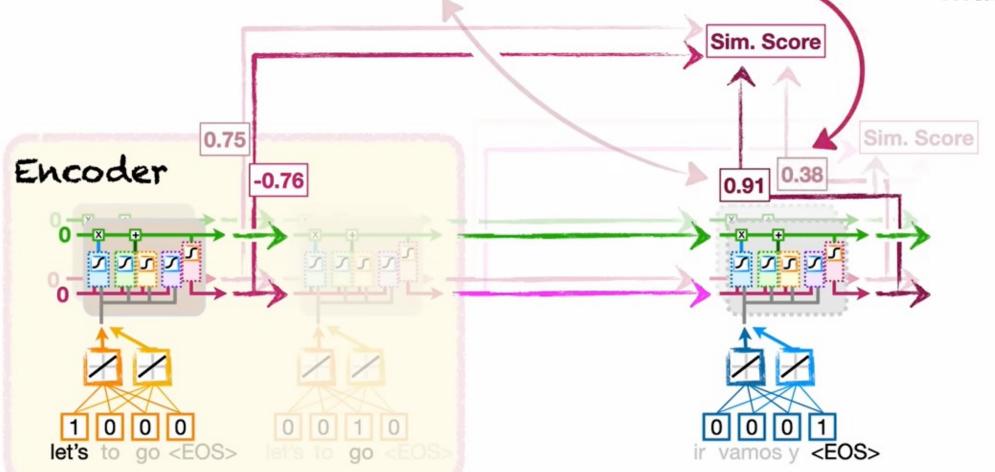
Cosine Similarity =
$$\frac{\sum_{i=1}^{n} A_i B_i}{\sqrt{\sum_{i=1}^{n} A_i^2} \sqrt{\sum_{i=1}^{n} B_i^2}}$$



LSTMs Cell #1 Cell #2 A = Encoder = Let's → -0.76 0.75 B = Decoder = <EOS> → 0.91 0.38

And the output values from the **2 LSTM** cells in the **Decoder** for the **<EOS>** token, are **0.91**...

...and **0.38**.



SQ

LSTMs

	Cell #1	Cell #2
A = Encoder = Let's ->	-0.76	0.75
= Decoder = <eos>→</eos>	0.91	0.38

Cosine Similarity =
$$\frac{\sum_{i=1}^{n} A_i B_i}{\sqrt{\sum_{i=1}^{n} A_i^2} \sqrt{\sum_{i=1}^{n} B_i^2}} = \frac{(-0.76 \times 0.91) + (0.75 \times 0.38)}{\sqrt{-0.76^2 + 0.75^2} \sqrt{0.91^2 + 0.38^2}} = -0.39$$

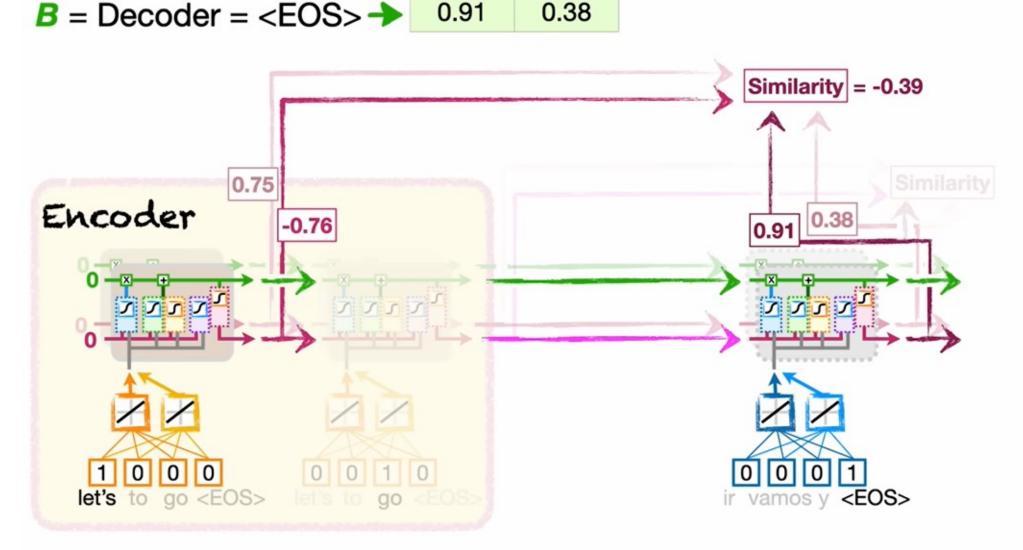
...and we get **-0.39**.

SQ

LSTMs

(2)	Cell #1	Cell #2
A = Encoder = Let's ->	-0.76	0.75
= Decoder = <eos>→</eos>	0.91	0.38

That being said, a more common way to calculate similarity for **Attention**...





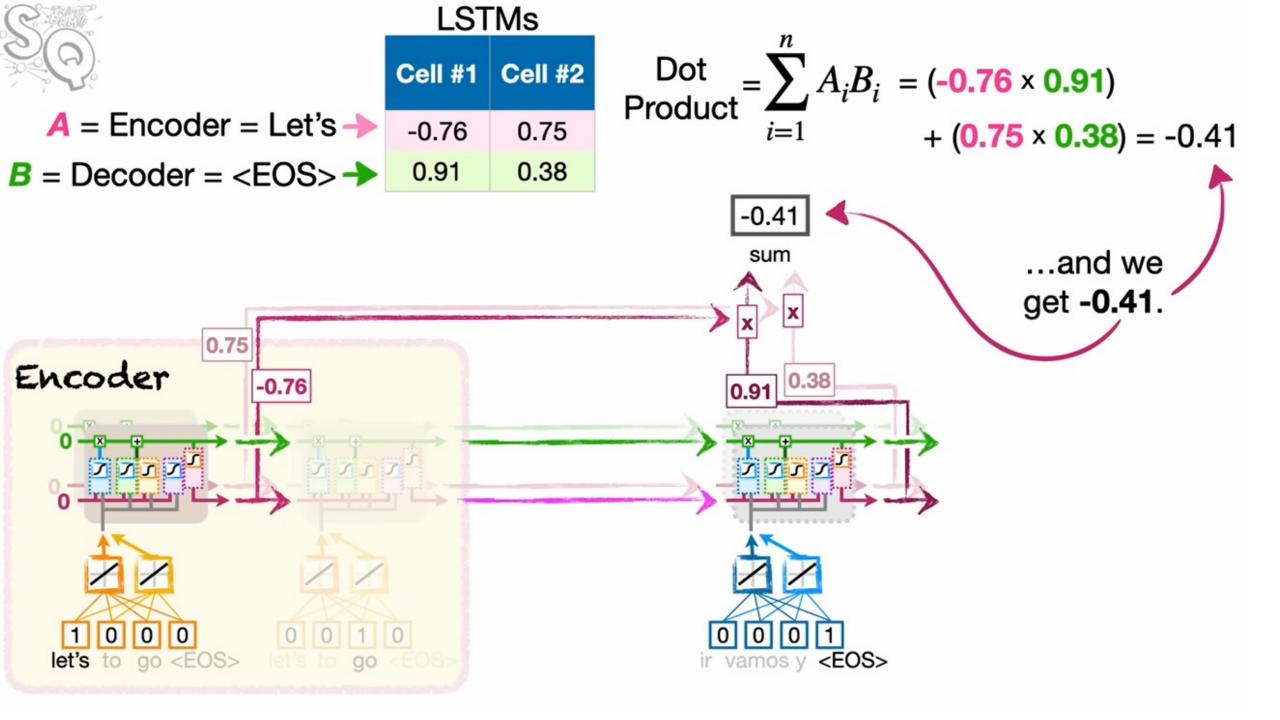
LSTMs

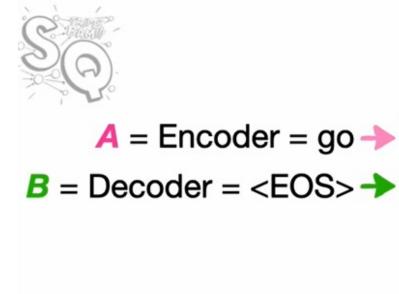
(3)	Cell #1	Cell #2
A = Encoder = Let's ->	-0.76	0.75
= Decoder = <eos></eos>	0.91	0.38

Anyway, calculating the **Dot** Product is more common than the Cosine Similarity for **Attention** because...

$$\frac{\text{Dot Product}}{\text{Product}} = \sum_{i=1}^{n} A_i B_i = (-0.76 \times 0.91) + (0.75 \times 0.38) = -0.41$$
Similarity = $\frac{1}{(-0.76 \times 0.91)} = -0.41$

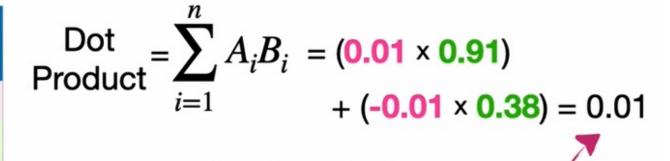
$$\sqrt{\sum_{i=1}^{n} \Lambda_{i}^{2}} \sqrt{\sum_{i=1}^{n} B_{i}^{2}}$$





LO I IVIS				
Cell #1	Cell #2			
0.01	-0.01			
0.91	0.38			

I CTMC

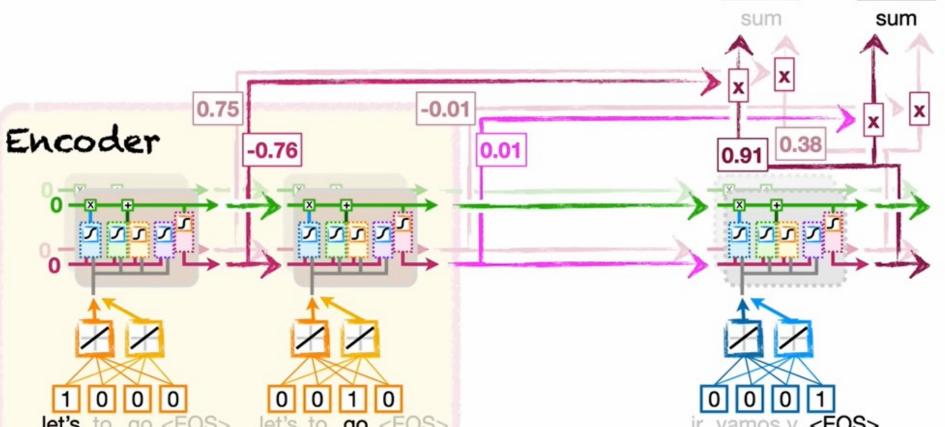


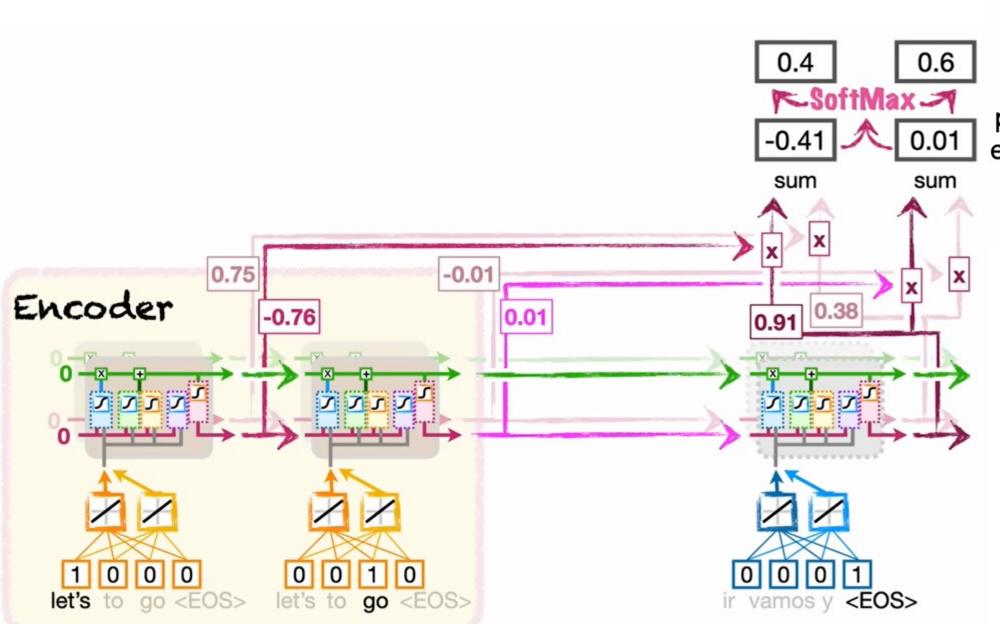
...and we

get **0.01**.

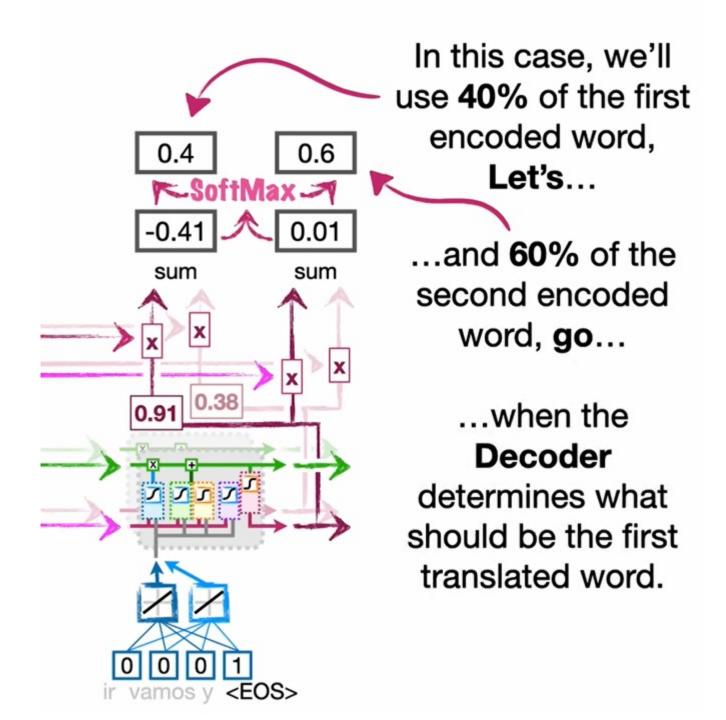
0.01

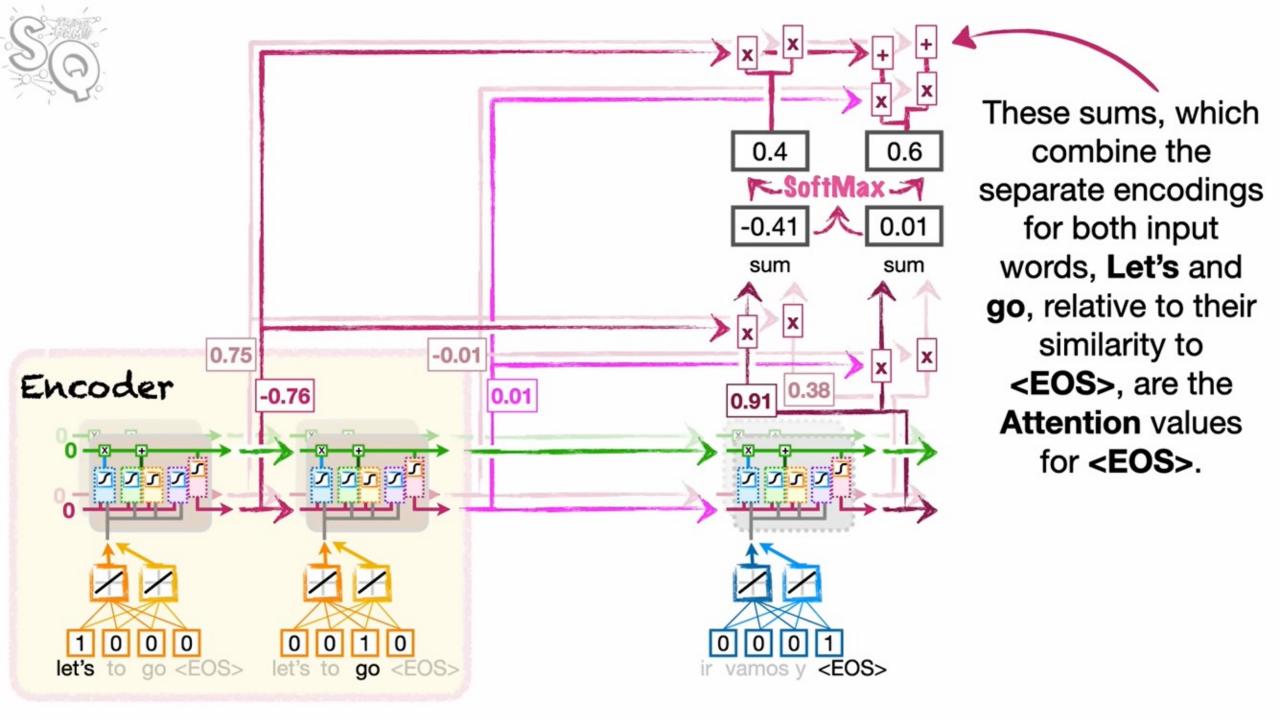
-0.41

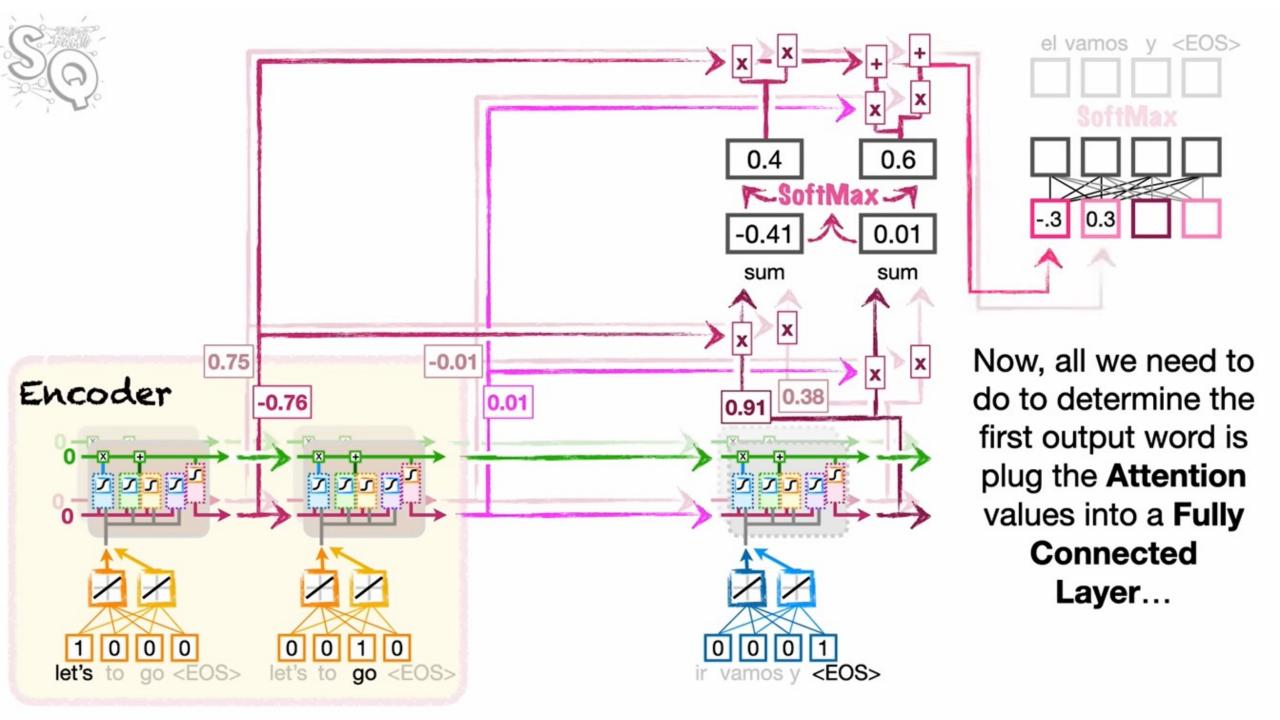


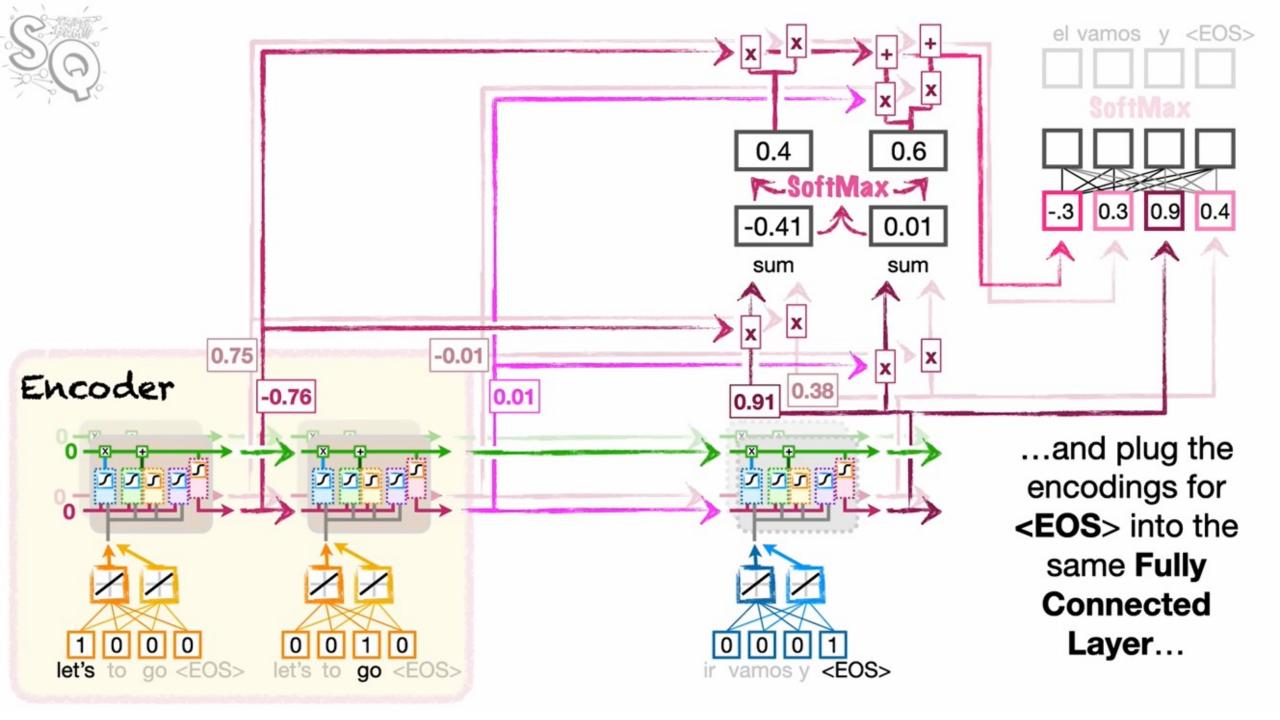


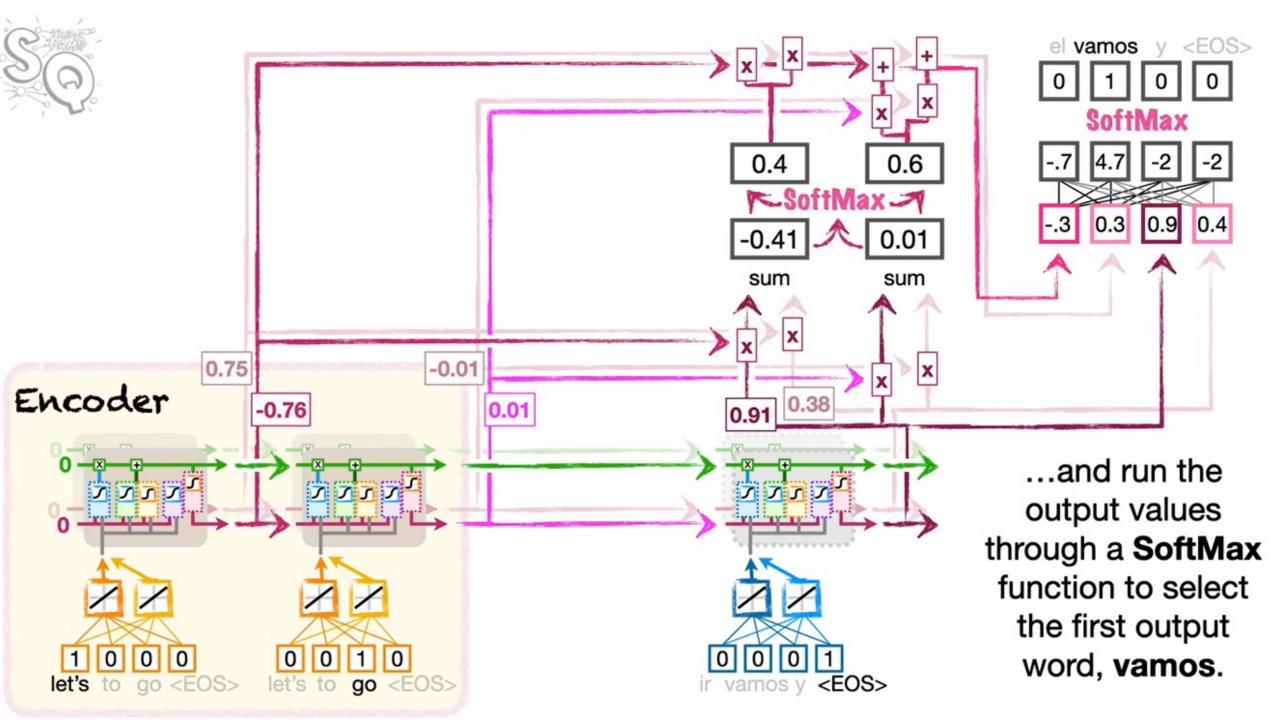
So we can think of the output of the SoftMax function as a way to determine what percentage of each encoded input word we should use when decoding.

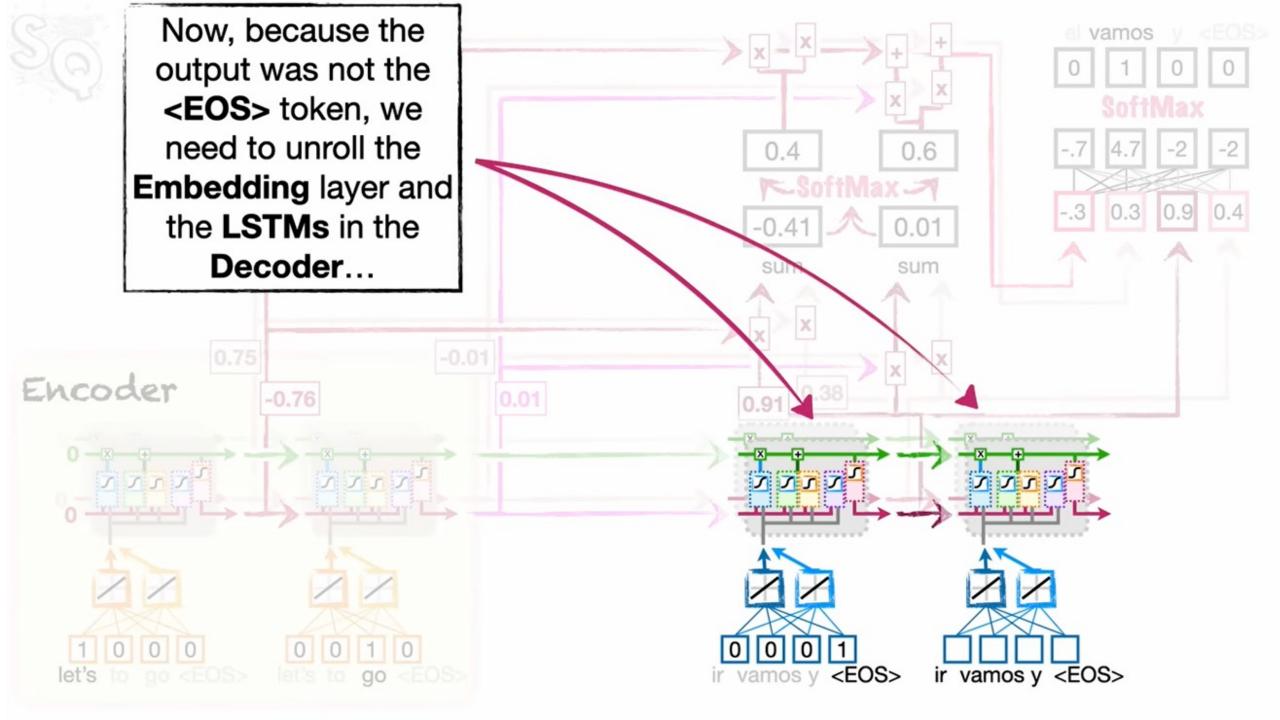


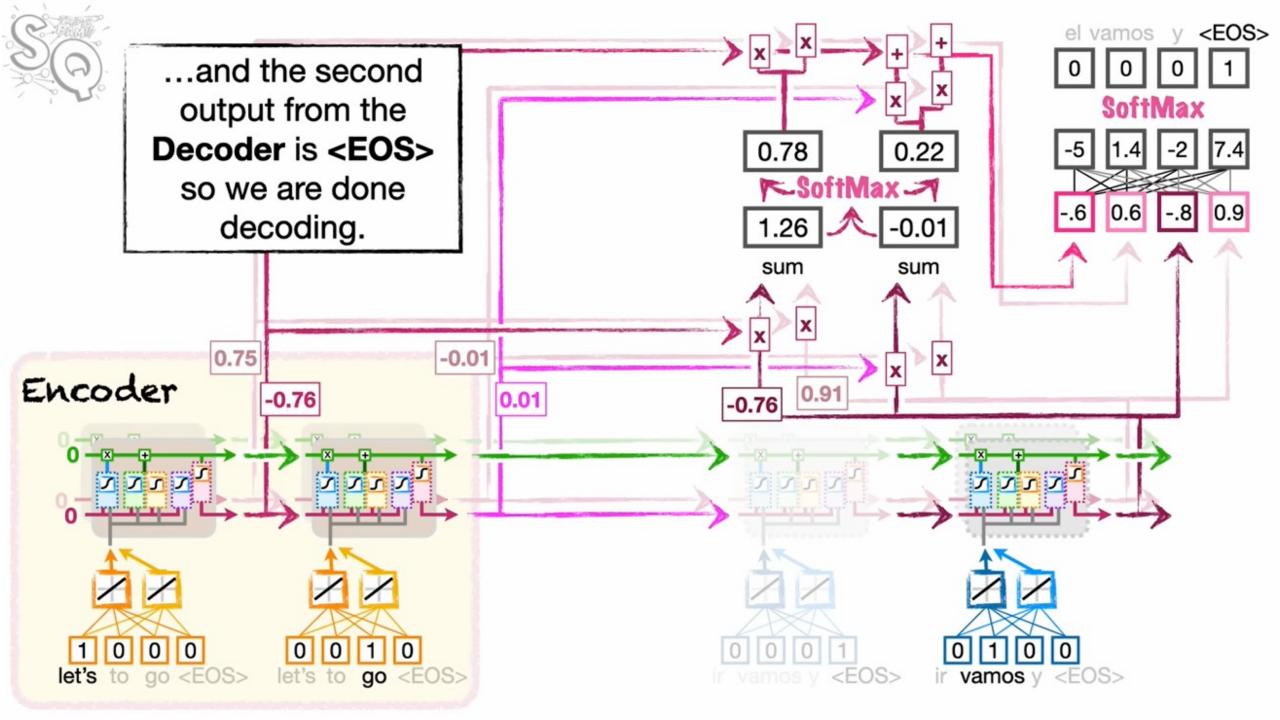












In summary, when we add **Attention** to a basic **Encoder**-**Decoder** model...

...the **Encoder** pretty much stays the same...

...and we use similarity scores and the **SoftMax** function to determine what percentage of each encoded input word should be used to help predict the next

output word.

...but now, each step of decoding has access to the individual encodings for each input word...